

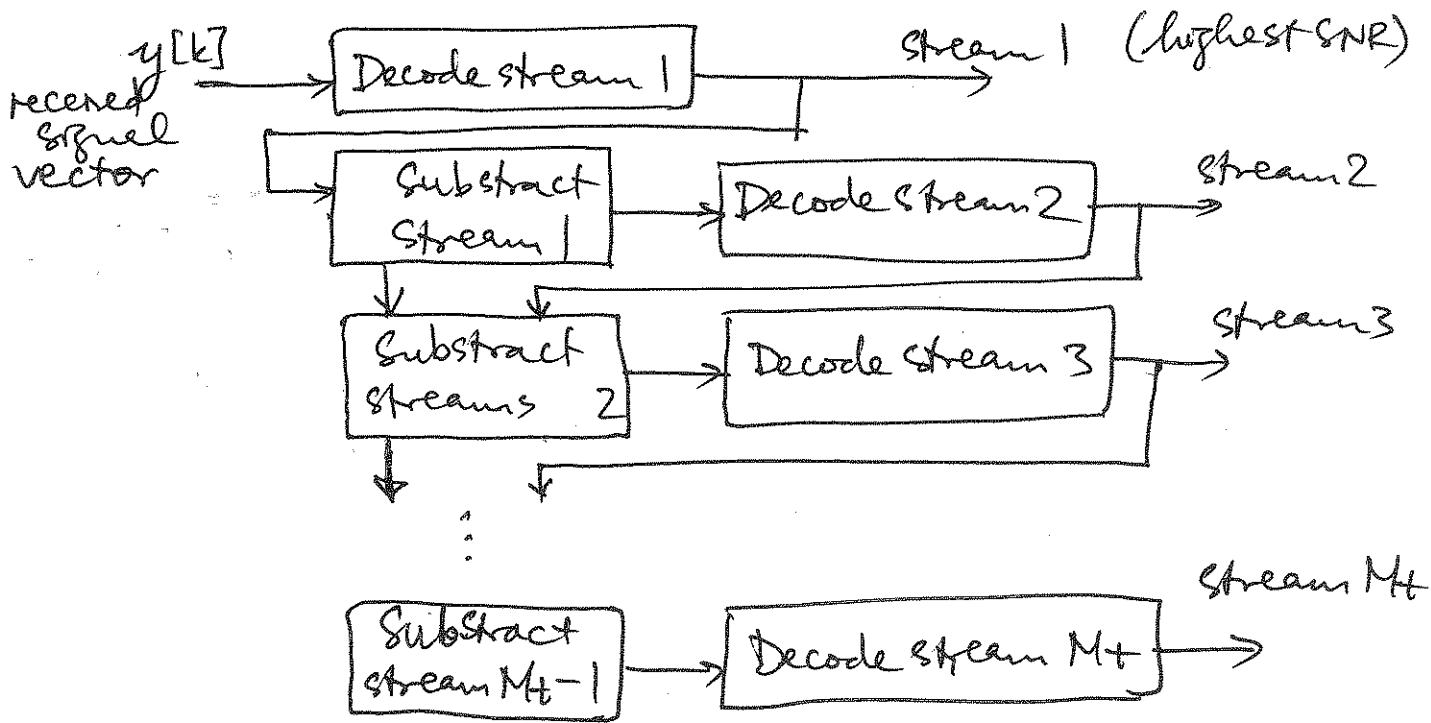
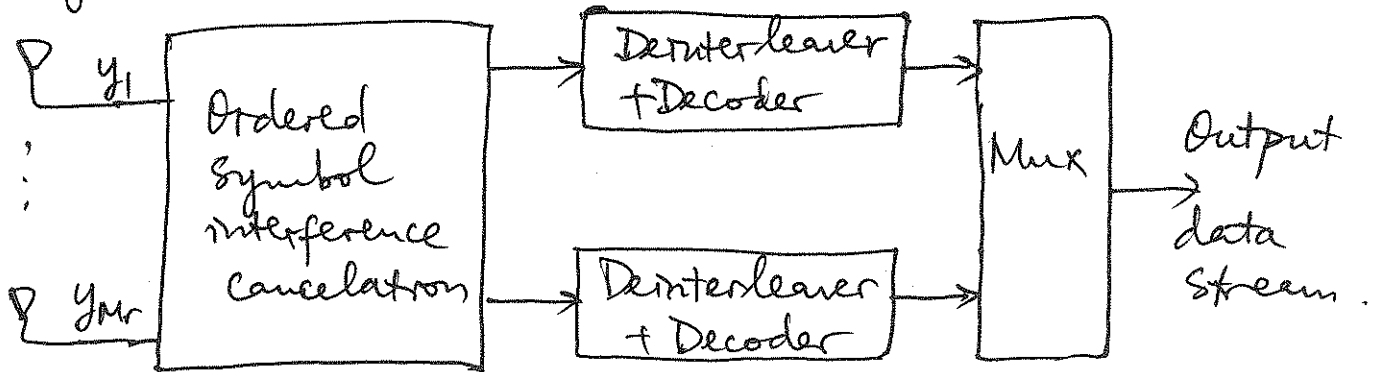
Information bit is spread over all transmit antennas.

Receiver structure is often complicated. We will look at example systems.

1) V-BLAST: Vertical Bell Labs Space-Time architecture.

Even though the name is vertical, this structure falls into the horizontal encoding category where each data stream is coded and transmitted separately.

Receiver is based on successive interference cancellation among the data streams based on ordered (received) SNR.



- This successive interference cancellation (SIC) structure is also called "onion peeling".
 - The decoding order is from the highest SNR stream to the lowest.
 - Each stream is decoded separately (after subtracting the streams that are already decoded), treating the other undecoded stream as noise.
- Therefore the decoding complexity is only linear in the number of streams.
- Thus V-BLAST with SIC receiver achieves the full multiplexing gain.
 - However the SIC structure can reduce the diversity gain in each stream because the undecoded streams are treated as noise and hence take away some diversity.

Specifically it can be shown that the distribution of the output SNR at each stage of the SIC process is

$$\text{SINR}_k \sim \gamma_k \cdot X_{2^{M_r - (M_t - k)}}$$

Thus the diversity order of the k^{th} stream is $M_r - (M_t - k)$, due to the $M_t - k$ uncancelled streams.

The first stream has highest SNR but worst diversity order of $M_r - M_t + 1$. Subsequent streams have diversity order increased by 1 for each successive stream.

$x_1[2]$ from the received signal and detect $x_2[1]$.

- This process goes on until all symbols of each codeword from each stream are detected (for example the whole codeword x_1). Then the codeword is decoded to recover information.

- Each codeword effectively sees the parallel channels from each transmit antenna to the received antennas.

Provided an optimal channel code (temporal code) then the rate for each data stream can be written as

$$R = \log(1 + \text{SINR}_1) + \log(1 + \text{SINR}_2) + \dots$$

↑
detecting the
1st symbol

↑
detecting the
2nd symbol
(has interference from
undecoded streams)

The above sum actually reach the information capacity of the channel.

To see this, express the capacity as

$$C = \log \det \left(\mathbf{I} + \frac{\gamma}{M_t} \mathbf{H} \mathbf{H}^* \right)$$

$$= \log \det \left(\mathbf{I} + \frac{\gamma}{M_t} \mathbf{h}_{M_t} \mathbf{h}_{M_t}^* + \frac{\gamma}{M_t} \mathbf{H}_{(M_t)} \mathbf{H}_{(M_t)}^* \right)$$

$$= \log \det \left(\mathbf{I} + \frac{\gamma}{M_t} \mathbf{H}_{(M_t)} \mathbf{H}_{(M_t)}^* \right)$$

$$+ \log \left(1 + \frac{\gamma}{M_t} \mathbf{h}_{M_t}^* \left(\mathbf{I} + \frac{\gamma}{M_t} \mathbf{H}_{(M_t)} \mathbf{H}_{(M_t)}^* \right)^{-1} \mathbf{h}_{M_t} \right)$$

Thus

$$C = \sum_{i=1}^{M_t} \log_2 \left(1 + \frac{\gamma}{M_t} h_i^* \left(I + \frac{\gamma}{M_t} H_{(i)} H_{(i)}^* \right)^{-1} h_i \right)$$

$$= \sum_{i=1}^{M_t} \log_2 (1 + \text{SINR}_i)$$

where $H_{(i)}$ is the channel matrix with all columns indexes higher than i removed, which corresponds to cancelling out the already detected streams.

SINR_i is then the SINR of the i^{th} stream which still has interference from all streams not yet detected.

- Thus with optimal channel coding then D-BLAST can reach the capacity of a MIMO channel (without CSIT) and can achieve a full multiplexing gain and full diversity gain $M_r \times M_t$ simultaneously.

This claim ignores the wasted space-time blocks initially and also assume the codeword length for the temporal code is long.

In practice there are ST blocks wasted at both the beginning and end of transmission.

- For more information see the paper handout [Foschini 96]

*) For m -between CSIT (partial CSIT), various precoding methods are used to adapt the transmission to CSIT. Precoding can be linear or nonlinear, but usually a linear (matrix) precoder is used. We will not go into details.